

# A New Proposed 3D Pressure Transducer

S. M. Abbas  
Private Researcher

## ABSTRACT

This paper proposes a new 3D active transducer for sensing and measuring pressure and its direction using micromachined technology. The sensor used here depends on the variations of a parallel plate capacitor with one of the plates is fixed while the other is fixed from its ends only left to change shape under pressure waves directed in any direction. The capacitors are connected to the emitters of an ECMV multivibrator (ECMV) to change its frequency as capacitor value changes. The capacitor rods are arranged in parallel and the two sets are arranged at 90 degrees to each other to detect 2D variations in the measurands. The output of this transducer is an ECMV output which can be altered to any signal shape as required.

## General Terms

Sensors, nano-structures, micromachining, active transducers.

## Keywords

Active sensors, Active transducers, nano-structures

## 1. INTRODUCTION

Many signal processing applications require on-chip reliable sensors compatible with integrated circuitry, fabricated using standard technology. Several microsensors were fabricated in standard CMOS or bipolar technology to measure mechanical, magnetic field, temperature, radiation, and chemical measurands. Generally sensors can be divided into two groups: active sensors which give output signal as voltage, current, or frequency, and passive sensors which respond to an external effect by modification of their basic parameters. Many sensor structures were introduced for measuring pressure, but not to indicate its direction. The transducer described here gives direction of the wave effect and indicate if its in  $x$ - or  $-x$ - direction. The output is an ECMV waveform. O.Akar, etc [1], uses a capacitor and gold-electroplated coil to sense pressure through changing frequency in 1D. J. Eom etc [2], using deformation of polymeric diaphragm to sense pressure. K. Ya, etc [3], uses effect of external pressure on magnetic properties of hertospin crystal to sense pressure. Finally I. Pekark, etc [4], uses carbon nanotubes array and MEMS membrane to sense pressure. All of the mentioned methods and other methods which are not mentioned here give the indication of the existence of pressure waves but do not give its direction, while the method described here gives the direction in 3D and if its in forward or reverse direction.

## 2. DESIGN OF THE TRANSDUCER

The new transducer consists of two sets of capacitors, each set composed of two nano rods with same dimensions made of same material as shown in (fig 1). One of them is fixed entirely against any change in shape while the other has its ends fixed only and middle part is left free to change shape if subjected to pressure waves. When its shape has changed, the capacitance formed from parallel combination of the two rods will change consequently, and the resonant frequency of ECMV will change as well as shown in (fig 2). This transducer can give the direction of the pressure wave

, since the effect of these waves will deform the partially left to move rod of the capacitor either to be nearer to or farther from the fixed rod of the capacitor, in other words increasing or decreasing value of capacitance as shown in (fig 3). If the effect of the waves is in  $-x$ -direction, then the capacitor shape will be as shown in (fig 2), while if its in  $x$ -direction, then the capacitor shape will be as shown in (fig 3). In order to sense the effect waves in  $y$ - and  $-y$ -direction, the capacitor design will be as shown in (fig 4). The same as described for  $x$ -direction if the effect of waves is in  $y$ -direction or in  $-y$ -direction

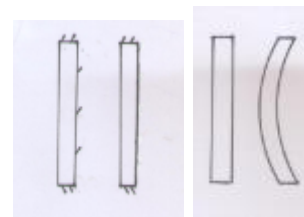


Fig 1: Nano rods for x-direction

Fig 2: Nano rods

after  $-x$  - pressure



Fig 3: Nano rods after x-pressure

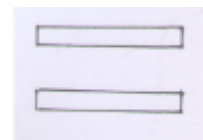


Fig 4: Nano rods for y-direction

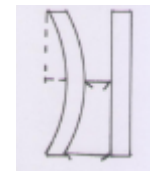


Fig 5: simple modelling of capacitance

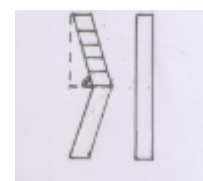
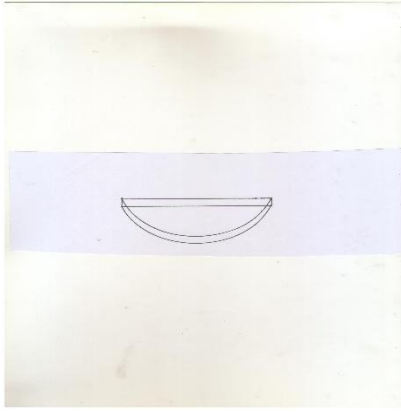


Fig 6: Model used to calculate capacitance change



**Fig 7: cross-section of the capacitor if the pressure is directed downwards**

Figures (1-6) are in top view form ,while fig 7 is a cross-section form since the pressure is directed downwards and its difficult to draw it in top view form

### 3. CALCULATIONS OF THE CAPACITOR

To calculate the capacitance , 1<sup>st</sup> order model will be used as shown in (fig 5) , normal capacitance value is

$$C = \epsilon \cdot A / X$$

Where  $\epsilon$  is the permittivity of the dielectric material between .. the plates , A is the area of the plates and X is the distance between the plates

Now after the deformation of the moving plate , X will change as the moving plate will be shaped as shown in (fig 5) .Then

$$X^* = X - \Delta X ,$$

And  $\Delta X$  will change along the length of the moving rod as shown in (fig 5) .To calculate  $\Delta X$  ,  $\tan \alpha$  as shown in (fig 6) is given by

$$\tan \alpha = L/2 / \Delta X$$

where L is the length of the rod , and the new distance between the plates is given by

$$X^* = X - L/2 / \tan \alpha$$

Dividing the rod length into 10 subsections , then 10 readings for subsections capacitor are needed as shown in fig (5) , each subsection with  $\Delta X$  given by

$$\Delta X^* = Z L/10 / \tan \alpha$$

Where Z = 1,2,3,4,and 5 according to what section is being calculated.

And thus the distance between the plates is given by

$$X^* = X - \Delta X^*$$

Then the capacitance value is

$$C = 2 C_1 + 2C_2 + 2C_3 + 2C_4 + 2C_5$$

Where  $C_1 = C_{10}$  ,  $C_2 = C_9$  ,  $C_3 = C_8$  ,  $C_4 = C_7$  , and  $C_5 = C_6$

And the final equation for calculating the capacitance is

$$C = 2 \epsilon \{ A_1 / X_1^* + A_2 / X_2^* + A_3 / X_3^* + A_4 / X_4^* + A_5 / X_5^* \}$$

Where each A can be calculated from

$$A = (L/10) \cdot W$$

Where w represents width of the capacitor plates. The resultant capacitor value will be used across emitters of an ECMV with a frequency of

$$F = \Pi / 4 C_1 V_{BE}$$

Thus any change in  $C_1$  will vary F . This equation is for sensing pressure waves in x - and -x- directions , where  $C_1$  will increase if waves effect is in x-direction and  $C_1$  will decrease if waves effect in -x- direction on the assumption that two ECMV circuits are used for x- and y- directions . These calculations are for x , -x, y , -y, directions ,while that of fig 7 ( i.e. perpendicular direction of pressure ) differ in that plates are no longer opposite each other and cross-sectional area is quite small , so

New area  $\hat{A} = 10 \% A$  and distance X is increased by 3 times minimum ,

$$C_7 = \epsilon ( 0.1 ) A / 3 X = \epsilon A / 30 X$$

Which is much smaller than original capacitance value .

### 4. RESULTS

To show some results for this sensor , an assumption will be made here that wave effect was so that the moving capacitor plate length was increased by 10% of its original length which is by assumption also is 10 nm as shown in fig (6) , the original distance between the plates is 10 nm ,and the width of the plates is 10 nm as well , then the angle ( $\alpha$ ) will be 72.24 , tan  $\alpha$  is 3.123 , thus

$$\Delta X^*1 = \{ L/10 \} / \tan 72.24 = 0.32 \text{ 0 nm}$$

$$\Delta X^*2 = \{ 2 L /10 \} / \tan 72.24 = 0.64 \text{ nm}$$

$$\Delta X^*3 = \{ 3 L /10 \} / \tan 72.24 = 0.96 \text{ nm}$$

$$\Delta X^*4 = \{ 4L /10 \} / \tan 72.24 = 1.28 \text{ nm}$$

$$\Delta X^*5 = \{ 5L/10 \} / \tan 72.24 = 1.60 \text{ nm}$$

And the corresponding distances between the plates will be

$$X^*1 = 10 - 0.32 = 9.68 \text{ nm}$$

$$X^*2 = 10 - 0.64 = 9.36 \text{ nm}$$

$$X^*3 = 10 - 0.96 = 9.04 \text{ nm}$$

$$X^*4 = 10 - 1.28 = 8.72 \text{ nm}$$

$$X^*5 = 10 - 1.60 = 8.4 \text{ nm}$$

Area of each subsection is  $\{ L/10 \} \cdot W = \{ 10 / 10 \} \cdot 10 = 10 \text{ nm}^2$  ,

Then the deformed capacitor value will be

$$C^* = 2 \epsilon \{ 10/9.68 + 10/9.36 + 10/9.04 + 10/8.72 + 10/8.4 \} \\ = 2 \epsilon \{ 5.543 \}$$

While the original capacitance value is

$$C = 2 \epsilon \{ 10 \cdot 10 / 10 \} = 2 \epsilon \{ 10 \}$$

Nearly half capacitance value means doubling the frequency of the ECL gate . This simple calculations indicate the sensibility of this sensor in x- , -x- , y- , and -y- directions . If the assumed change in capacitance is 1% , then the deformed capacitance value will be

$$C^* = 2 \epsilon \{ 5.2244 \}$$

Which means a great change in capacitance value increasing sensor ability . If the calculations conducted on -x direction , the results will be as given , for the 10 % case , the capacitance value will be

$$C^* = 2 \epsilon \{ 4.5667 \}$$

And for the 1 % case ,

$$C^* = 2 \epsilon \{ 4.7978 \}$$

Which gives a difference between x and -x directions of more than 17% in capacitance value . These calculations are for x , -x , y , -y variations . For the z-component calculations , the variations in capacitance value will much greater than original value as shown in last paragraph .

## **5. CONCLUSION**

A new active 3D pressure transducer is proposed with high sensibility and simple design giving the value of the pressure and its direction , which uses standard micro-machined

technology . The output of this active sensor is an ECMV waveform which can be changed easily into any other form.

## **6. REFERENCES**

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