Information Processing using Multilevel Masking to Image Segmentation

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ABSTRACT

Image segmentation is the process of assigning a label to every pixel in an image such that pixels with the same label share certain characteristics. In discontinuity based approach images are partitioned on the basis of abrupt changes in intensity, such as edge detection, line detection and point detection. In this paper we are a multilevel masking based image segmentation technique which will analyze the image information more accurately.

General Terms

Image Processing, Image Analysis, Image Information

Keywords

Image Segmentation; Masking; Edge detection; Region Growing; Region Splitting; Thresholding, Entropy, Peak to Signal Noise Ratio.

1. INTRODUCTION

The term image refers to the visual representation of something. Further the definition of image is given in many forms according to the requirement of the topic of interest. Image segmentation is the process of subdividing an image into multiple or constituent segments. The level of segmentation is based on the application. Image segmentation is typically used to locate objects and boundaries i.e. lines, curves, etc in images. Image segmentation algorithms generally are based on one of two basic properties of intensity values as for example one is discontinuity and other property is similarity. The result of image segmentation is a set of segments that collectively cover the entire image, or a set of contours extracted from the image. Image registration is the process of transforming different sets of data into one coordinate system. Image segmentation is essential step in image analysis, object representation, objet visualization. Segmentation bridges the gap between low-level image processing and high level image processing, etc. Applications of image segmentation in Industrial inspection, optical character recognition (OCR), medical science like detection of brain tumors, measurement of bone tissues, etc.

2. IMAGE SEGMENTATION

2.1 Discontinuity Based Image Segmentation

It includes three types of detections: Point detection, Edge detection, Line detection. The most common way to look for discontinuities is to run a mask through the image. As for example a 3X3 mask is given below, this procedure involves computing the sum of products of the coefficients with the gray levels contained in the region encompassed by the mask. That is, the response of the mask at any point in the image is given by

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$$R = \sum_{i=-I}^{1} \sum_{j=-I}^{1} W_{i, j, f}(x+i, y+j)$$

W1	W_2	W ₃
-1,-1	-1,0	-1,1
W_4	W_5	W6
0,-1	0,0	0,1
W_7	W_8	W ₉
1,-1	1,0	1,1

2.1.1 Point Detection

For the point detection, we consider the modulus of above value of R as greater than the non negative Threshold value

(1)

$$|R| > = T \tag{2}$$

2.1.2 Line Detection

Line detection is also based on the abrupt change in the intensity of an image and additionally it reflects the discontinuity in image. In case of line detection the following mask is used:

			1	-1	-1	2
-1	-1	-1		-1	2	-1
2	2	2		-	-	-
-	2	2		2	-1	-1
1	1	1			-	
a) Horizontal			-	b)	$+45^{\circ}$	

1	2	1	1	2	-1	-1
-1	2	1		-1	2	-1
-1 1	2	1		-1	-1	2
c) Vertical]	d)	-45°	

If the first mask were moved around an image, it would respond more strongly to lines i.e. one pixel thick, oriented horizontally with a constant background, the maximum response would result when the line passed through the middle row of the mask. This is easily verified by sketching a simple array of 1's with a line of a different gray level say 5's, running horizontally through the array. The coefficients in each mask sum to zero, indicating a zero response from the masks in areas of constant gray level. Suppose, that the four masks are run individually through an image. If, at a certain point in the imag**e**, $|\mathbf{R}_i| > |\mathbf{R}_j|$, for all $i \neq j$, then the particular point is more likely to be contained in a line which is in the direction of Mask_i.

2.1.3 Edge Detection

Edge detection is a most common approach to segmentation which detecting meaningful discontinuities in gray level. An edge is boundary between two region having distinct intensity level. There are many ways to perform edge detection. However, the most may be grouped into two categories, gradient and Laplacian. The gradient method detects the edges by looking for the maximum and minimum in the first derivative of the image. The Laplacian method searches for zero-crossings in the second derivative of the image to find edges.

2.1.4 Gradient Operators

First-order derivatives of a digital image are based on various approximations of the 2-D gradient. The gradient of an image f(x,y) is defined as the vector:

$$\nabla f = \begin{bmatrix} \frac{\partial f}{\partial x} \\ \frac{\partial f}{\partial y} \end{bmatrix} \nabla f = \begin{bmatrix} \frac{\partial f}{\partial x} \\ \frac{\partial f}{\partial y} \end{bmatrix}$$

The value of above is given by modulus operator. To get the value we find the modulus of gradient vector.

2.1.5 Prewit Edge operator

It is used using 3X3 mask. Here, the derivative in x-direction is calculated between first and third row of the mask.

Thus, $G_x = (z_7+z_8+z_9)-(z_1+z_2+z_3)$ and Prewitt's 3X3 mask is

-1	-1	-1	
0	0	0	
-1	-1	-1	

-1	0	-1
-1	0	-1
-1	0	-1

Horizontal

Vertical

2.1.6 Sobel Operator

Here a weight of 2 is used to achieve some smoothing by giving more importance to centre point. It is the modified form of the Prewitt operator and is given by $G_y=(z_3+2z_6+z_9)-(z_1+2z_4+z_7)$ and Sobel's 3X3 mask is:

-1	-2	-1	-1	0	1
0	0	0	-2	0	2
1	2	1	-1	0	1

Horizontal

2.1.7 Robert operator

The Roberts operator performs a simple, fast to compute, gradient measurement on an image. It thus highlights regions of high spatial gradient which often correspond to edges. In its most common usage, the input to the operator is a grey scale image, as is the output. Pixel values at each point in the output represent the estimated absolute magnitude of the spatial gradient of the input image at that point.

Vertical

2.1.8 Canny operator

It is such edge detector which uses a multi-stage algorithm to detect a wide range of edges in images. This process involves four processes. First a Gaussian blur is applied to clear any speckles and free the image of noise. Then a gradient operator is applied for obtaining the gradients' intensity and direction. Non-maximum suppression determines if the pixel is a better candidate for an edge than its neighbor's .At last Hysteresis thresholding finds where edges begin and end.

2.1.9 Laplacian operator

It is a type of second derivative operator. Sometime second derivatives are very much sensitive to noise so only its sign is used to find whether a point is in darker region or brighter region. It is given by the following equation:

$$\nabla^2(f) = d^{2f}/dx^2 + d^2f/dy^2$$
 (4)

If we consider the diagonal elements too then we will get the central element as 8 and corner elements as -1 as in Fig 2

2.1.10 LOG operator:

It stands for laplacian of gausian operator. It is used to detect the location of edge point. The Laplacian of an image highlights regions of rapid intensity change. The Laplacian L(x,y) of an image with pixel intensity values I(x,y) is given by:

$$L(x,y) = d^2 I/dx^2 + d^2 I/dy^2$$

The 2-D LoG function centered on zero and with Gaussian standard deviation σ has the form:

$$LOG(x,y) = \frac{-1}{\sigma^4} \left[1 - \frac{x^2 + y^2}{2\sigma^2} \right]$$

The log mask (5 by 5) is given as:

0	0	-1	0	0
0	-1	-2	-1	0
-1	-2	16	-2	-1
0	-1	-2	-1	0
0	0	-1	0	0

2.2 Similarity based image segmentation

It includes Threshold operation, region growing region splitting and merging.

2.2.1 Thresholding

Consider an image that contains two types of regions R1 and R2 and the distinctness of the regions is reflected very clearly. Suppose there exists a threshold t such that feature values of all pixels that actually belong to regions of first type are less than or equal to t and gray values of all pixels that actually belong to regions of the second type are greater than t. In this case, the segmented image is obtained as

$$b(r,c)=1 \text{ if } p(r,c) \qquad <=t \text{ (background)} \\ =0 \text{ if } p(r,c) \qquad >t \text{ (object)}$$

where p(r,c) is the feature value at pixel (r, c).

2.2.2 Region Growing

Region growing is a simple region-based image segmentation method. It is also classified as a pixel-based image segmentation method since it involves the selection of initial seed points. This approach to segmentation examines neighboring pixels of initial seed points and determines whether the pixel neighbors should be added to the region. The process is iterated on, in the same manner as general data clustering algorithms. The main goal of segmentation is to partition an image into regions. Region-based segmentation is a technique for determining the region directly. The basic formulation is: (a) $\bigcup ni=1Ri=R$.

(b) Ri is a connected region, i=1, 2, ...,n

(c) $Ri \cap Rj = \emptyset$ for all i=1,2,...,n.

(d) P(Ri)=TRUE for i=1,2,...,n.

(e) $P(Ri \cup Rj) = FALSE$ for any adjacent region Ri and Rj.

P(Ri) is a logical predicate defined over the points in set Ri and \emptyset is the null set.

2.2.3 Region Splitting

In region splitting approach we have to consider the homogeneity property over a rectangular region. If the graylevels present in the region do not satisfy the property, we divide the region into four equal quadrants. If the property is satisfied, we leave the region as it is. This is done recursively until all the regions satisfy the property. In terms of graph theory, let us call a region a node. The node is split into four children if the node does not satisfy the given property; otherwise the node is left unaffected. The former node is called a parent node and the later a leaf node. This method is applicable to images whose number of rows and number of columns are some integer power of 2.We start the method taking the whole image. That means the image is taken as the root node and a quad tree is formed where each leaf node represents a rectangular homogeneous region.

				R21	R22
	R1	R2	R1	R23	R24
R		D .(R31	R32
	R3	R4	R3	R33	R34

Fig 3: Rectangular Region R Splitting in level 1 and level2

2.2.4 Region Merging

This method is exactly opposite to the region splitting method. Like region splitting, this method is only applicable for those image having number of rows and number of columns are some integer power of 2.Here we start from pixel level and we consider each of them a homogenous region. At any level of merging, we check if four adjacent homogeneous regions arranged in a 2X2 fashion together satisfies the homogeneity property. If yes, we merge those regions are left as they are. Hence in terms of graph theory, child nodes are removed if the parent node satisfies the homogeneity property; otherwise child nodes are declared as leaf node. We repeat this operation recursively until there are no more regions that can be merged.

				R1	R2
R11	R12	R21	R22		
R13	R14	R23	R24	R3	R4
R31	R32	R41	R42	10	
R33	R34	R43	R44		

Fig 4: Region Merging

3. METHODOLOGY

A. Mean: Mean calculation of an image may be defined as the average brightness of the pixels within that image.

B. Median: The higher value of a data sample or a probability distribution when separated from its lower value is represented by a numeric value known as median. The observations of lowest value to highest value are arranged in a list and in this way the median of a finite list of numbers can be found.

C. Standard Deviation: The standard deviation may be termed as the estimate of the variance of the probability distribution function of the image.

D. Entropy: Suppose a message consists of n symbols, each of which can take s different values. Thus sn different messages are possible to generate or to receive. It is obvious that number of possibilities increases with both s and n.In general ,the number of possibilities increases more rapidly with n. Now if the number of possibilities increases, the information conveyed by each message should be more .To impose linear relation between entropy H and the length of the message n, Hartley defined entropy as:

H=log sn =n log s

As stated earlier, entropy of a message from a system increases with the number of possible messages. Hartley has assumed that in a system all symbols and consequently, all messages of a given length are equally likely to occur. However in reality this is not the case.Shanon has defined as:

Or,
$$H=-\sum pi log(pi)$$

Where pi represents the probability of i-th symbol and logarithm is taken with base 2. The term 1/ pi suggest that the information conveyed by a symbol is inversely related to the probability of its occurrence. That means more seldom an event occurs, more information is conveyed by its occurrence. Sum of these terms multiplied with pi for all I gives the average information conveyed by the message altogether, which is the entropy of that messages as expected. In relation to the image processing techniques, symbols are the gray levels and the message is the image itself.

The average self-information of a random variable X is defined as :

$$H(X) = \sum P(xi) \log P(xi)$$

i=1

n

Where X represents the alphabet of possible output letters from a source i.e. here gray level of image and H(X) represents the average information per source letter. In this case H(X) is called entropy.

E. PSNR: PSNR stands for Peak Signal-to-Noise Ratio. It is used to measure the ratio between the maximum possible power of a <u>signal</u> and the power of corrupting <u>noise</u>. Because of why many signals have very wide dynamic range, the power of corrupting noise can affect the reliability of the representation. It is expressed in the logarithmic decibel scale.







Fig : Robert 1⁰

Robert 2⁰

Robert 3⁰

3







Fig: LOG 1⁰

4. RESULTS

After getting the results at each level ,we get the different image processing information and compare their values.Most of the results shows the better results than the previous level except few of them. Details are given below in tabular form

LOG 3⁰

Table 1. Derivation Of Mean For Robert, Sobel, Prewit, Canny, Log Operator in Different Levels

Levels	Table for Mean							
	Robert	Sobel	Prewit	Canny	LoG			
1^0	99.65620	98.967742	100.062500	99.096774	98.517241			
2^{0}	98.151515	97.437500	98.545455	97.562500	96.900000			
3 ⁰	98.181818	97.468750	98.575758	97.593750	96.933333			

 Table 2. Derivation Of Median For Robert, Sobel, Prewit,

 Canny, Log Operator In Different Levels

Leve	Table for Median							
ls	Robert	Sobel	Prewit	Canny	LoG			
10	104.500 0	103.000 00	105.500 00	103.000 00	103.000 00			

20	103.000	102.000	105.000	102.000	103.000
	00	00	00	00	00
30	103.000	102.000	105.000	102.000	103.000
	00	00	0	00	00

 Table 3. Derivation Of Mode For Robert, Sobel, Prewit, Canny, Log Operator In Different Levels

Levels	Table for Mode					
	Robert	Sobel	Prewit	Canny	LoG	
1^{0}	114.18	111.064	116.375	110.806	111.965	
	75	516		452	518	
2^{0}	112.69 697	111.125	117.909 09	110.875	115.2	
3 ⁰	112.63 6364	111.062 5	117.848 984	111.965 518	115.133 34	

 Table 4. Derivation Of Standard Deviation For Robert,

 Sobel, Prewit, Canny, Log Operator In Different Levels

Levels	Table for Standard Deviation(S.D)						
	Robert Sobel Prewit Canny LoG						
1^{0}	18.248	18.1979	18.4354	18.4198	18.59		
	48	5486	8033	3504	6506		
					37		
2^{0}	19.932	19.8850	20.1294	20.0916	20.30		
	8		1	2	6869		
3 ⁰	19.858	19.8087	20.0546	20.0158	20.22		
	018	37	6	95	7896		

 Table 5. Derivation Of Variance For Robert, Sobel,

 Prewit, Canny, Log Operator In Different Levels

Levels	Table for Variance					
Levels	Robert	Sobel	Prewit	Canny	LoG	
1 ⁰	333.007	331.16	339.86	339.29	345.83	
	0	5591	6935	0323	0049	
2 ⁰	397.320	395.41	405.19	403.67	412.36	
	07	5323	3182	3387	8966	
30	394.340	392.38	402.18	400.63	409.16	
	909	6089	9394	6089	7816	

Table 6. Derivation Of Entropy For Robert, Sobel,Prewit, Canny, Log Operator In Different Levels

Level	Table for Entropy(%)					
	Robert	Sobel	Prewit	Canny	LoG	
10	19.2199	22.7371	22.6293	42.0627	34.5190	
2^{0}	26.4505	35.4176	34.0441	58.2905	51.1247	
3 ⁰	27.1864	35.5093	34.0066	57.6961	60.0049	

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Level s	Table for PSNR						
	Robert	Sobel	Prewit	Canny	LoG		
1^{0}	24.2850	24.537	24.534	24.7732	24.681229		
	3	1568	8705	158	8		
2^{0}	24.8927	24.687	24.669	25.0513	24.817047		
	24	5720	766	585	5		
3 ⁰	24.3493	24.432	24.413	24.8814	24.698134		
	149	5602	3281	899	2		

 Table 7. Derivation Of Psnr For Robert, Sobel, Prewit,

 Canny, Log Operator In Different Levels

Table	8. Derivation Of Mse For Robert, Sobel, Prewit,
	Canny, Log Operator In Different Levels

Level s	Table for MSE						
	Robert	Sobel	Prewit	Canny	LoG		
1 ⁰	244.33	230.55	230.67	218.35	233.03		
2^0	212.43	222.70	223.62	204.81	216.16		
30	240.74	236.17	237.22	212.98	222.16		

5. CONCLUSIONS

Image segmentation techniques also cover contour extraction and clustering algorithm also. In case of different edge detection techniques canny edge detector gives the maximum information or entropy for that image. So it is best .we have applied the multilevel masking operator and analyze the result to calculate various image parameters and concluded that the canny operator gives the best result. The value of the mean is increasing by the increment of degree of operator while median became constant after some interval. The value of the variance on the other hand has decreased by the increment in the degree of operator.



Fig 5: Comparative Result Analysis from Results

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7. REFERENCES

- S. Mukhopadhyay and B. Chanda, "A multiscale morphological approach to local contrast enhancement," Signal Process. vol. 80, no. 4, pp. 685–696, 2000..
- [2] A. K. Jain, Fundamentals of Digital Images Processing. Englewood Cliffs, NJ: Prentice-Hall, 1989.

- [3] C. R. González and E.Woods, Digital Image Processing. Englewood Cliffs, NJ: Prentice Hall,2008.
- [4] Comparative study of image segmentation techniques and object matching using segmentation by Sapna Varshney, S. Sch. of Inf. Technol., Guru Gobind Singh Indraprastha Univ., Delhi, India Rajpal N.; Purwar, R.
- [5] Research Review For Digital Image Segmentation Techniques by Ashraf A. Aly1, Safaai Bin Deris2, Nazar Zaki3

- [6] Efficient Graph-Based Image Segmentation by Pedro F. Felzenszwalb ,Artificial Intelligence Lab, Massachusetts Institute of Technology ;Daniel P. Huttenlocher , Computer Science Department, Cornell University.
- [7] L. G. Brown, "A survey of image registration techniques," ACM Comput. Surv., vol. 24, no. 4, pp. 325–376, 1992.
- [8] J. A. Maintz and M. A. Viergever, "A survey of medical image registration," *Med. Image Anal.*, vol. 2, no. 1, pp. 1–36, 1998.
- [9] J. V. Hajnal, D. L. Hill, and D. J. Hawkes, *Medical Image Registration*. Boca Raton, FL: CRC Press, 2001.
- [10] B. Zitova and J. Flusser, "Image registration methods: A survey," *Image Vis. Comput.*, vol. 21, no. 11, pp. 977– 1000, 2003.
- [11] J. Modersitzki, Numerical Methods for Image Registration. New York: Oxford Univ. Press, 2004.
- [12] C. Davatzikos, "Spatial transformation and registration of brain images using elastically deformable models," *Comput. Vis. Image Understand.*, vol. 66, no. 2, pp. 207– 222, 1997.
- [13] D.Mitra,R.Barik,S.Roy,S.Bhattacharyya "A Survey on Image Segmentation and Image Registration", ACEEE-

CPS, International Conference on Computing,Communication & Manufacturing, ISBN: 978-0-9940194-0-0,Pages 61-69

[14] D.Mitra,R.Barik,S.Roy,S.Bhattacharyya"Cumulative Measurement of Image Entropy on Different Mathematical Morphological Operation", ACEEE-CPS, International Conference on Computing, Communication & Manufacturing, ISBN: 978-0-9940194-0-0, Pages 35-39

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