

Deep Learning Approach for Image Denoising and Image Demosaicing

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ABSTRACT

Color image normally contain of three main colors at the each pixel, but the digital cameras capture only one color at each pixel using color filter array (CFA). While through capturing in color image, some noise/artifacts is added. So, the both demosaicing and de-noising are the first essential task in digital camera. Here, both the technique can be solve sequentially and independently. A conventional neural network based de-noising technique has applied for the removal of noise/artifacts. Afterwards, frequency based demosaicing with the convolutional neural network based image reconstruction algorithm is apply to acquire another two missing color component. The result analysis presented in this paper demonstrate that our proposed de-nosing and demosaicing exhibits the better performance and it is applicable for a large variety of images.

General Terms

Image Reconstruction, Image Demosaicing, Single sensor Array, Demosaicing.

Keywords

Demosaicing, Color image, Color filter array (CFA), Digital camera, Conventional neural network (CNN)

1. INTRODUCTION

There are three main components of the color image by that a natural 'color image' is composed, so it is necessary to capture all three colors by digital camera. For that, we need a camera, which is of at least three sensors. However, the placing of sensor in digital camera is a non-simple problem; furthermore, it requires more space and three sensors cause makes camera to be expensive. Bayer [1] proposed a most simple solution for this problem: a CFA (Color Filter Array). The CFA is placed in front of the sensor, since that the each pixel capture a color component luminance-value (e.g., red, blue 'or' green). While other two-color component should reconstructed to acquire the full "RGB" color image. This process has popularly known as demosaicing.

Demosaicing and de-noising both are the first crucial steps of the digital camera. The existing data of color image (CI) corrupted with the noise and minimum two-third of CI data is missing. For modularity, de-noising and demosaicing are also can be solved sequentially and independently. De-noising suffers from variable per pixel and non-linear noise that introduced via demosaicing. Demosaicing need to handle with unreliable samples that unfortunately causes the error accumulation.

Demosaicing model can be classify as the spatial domain [2], [3], [4] based and frequency domain based [5] and [6]. The various demosaicing techniques detailed survey has presented

in the paper [7] and [8]. The literature, shows that the existing 'state-of-art' in demosaicing algorithms bring artifacts in the reassembled image [7], [3], [8], [9]. The goal of de-noising CI is to recover an A image from the noisy B observation, which is followed by $B = A + W$ degradation model. Commonly W is additive Gaussian noise (AGN) with the σ standard deviation. In image de-noising, image prior modeling plays an important role. Earlier, numerous models has been failed for modeling the image priors, which include nonlocal-self-similarity ('NSS') models [1], [10], [11], gradient models [12], [13], and Markov-random-field ('MRF') models [14], [15], [16]. Demand of high de-noising quality, many methodologies of de-noising suffers from the two major drawbacks. First one is, most of the de-noising methodologies involves problem in complex optimization in testing stage, which causes more time in de-noising process [17], [18]. Hence, most of methodologies can rarely achieve the high performance short of sacrificing the computational efficiency. Second is, general models are non-convex and include some manually chosen parameters, in which some providing freedom to increase de-noising performance. A number of discriminative-learning methods have been develop to study the image prior approach. Chen et al. [19], [20] proposed a TNRD (Trainable-nonlinear-reaction diffusion) model that learns an expert modified fields [14] of image prior via unfolding the fixed no. of gradient descent (GD) inference steps. In which the capturing full features of the image structures is limited and, they train only specific model for given noise level.

In this paper, a "frequency domain" based demosaicing methodologies is proposed. According to the frequency component, the chrominance and luminance information is use for reconstructing the image. Firstly, separation of the chrominance and luminance components of the input color image. Afterwards, by the use of 'bilinear interpolation', the three channel of chrominance and a luminance channel has combined to generate an inter-mediate image, and CNN (convolutional neural network) has performed to get the reconstructed image, but somehow image exhibits some artifacts or errors. Hence first, the de-noising model is performed to get more CPSNR. Here, without of doing learning discriminative method with the explicit prior image; we propose an image de-noising as a normal discriminative-learning problem, i.e., sorting out the noise from the noisy image by 'CNN'. The motto for using CNN in both demosaicing and de-noising is to increase the de-noising performance, optimized CI demosaicing and improve the speed of training process

2. RELATED WORK

Earlier studies also dealing with the problem of demosaicing, several alternative has proposed on basis of image prior. [21] Uses the spectral features of correlation between the color bands and natural images to describe a priority above the image population. Taking account of this approach, the priority image function is independent and can be estimate for all original images. The adaptive prior approach has suggested by the keren et al. [22], which location-based changes in image has based upon the available partial information. Better performance can achieved through reconstructing the G firstly that trailed by the B and R reconstruction, [23] and [24]. In this type of algorithm, the correlations of inter-color has generally oppressed by the interpolating differences of B-G and R-G. However, there has no optimization performed using these types of differences that means it is not best approach to accomplish the task efficiently. Iterative techniques [25] and vector CFA demosaicing [26], the color transformation approach is proposed by E. Gershikov et al. [27] to optimize color transformation for the ‘image demosaicing’.

Residual interpolation for demosaicing algorithm has proposed [28] [29]. In a residual field the interpolation is performs by RI, where the residually described as differences between the observed pixel value and estimated pixel value. Y. Monno et al. [30] proposed an adaptive residual interpolation (“ARI”) for the color image demosaicing with Bayer CFA. The ARI selects the suitable number of iteration and add two different RI algorithms, i.e., the MLRI [28] and RI, at every pixels. Further ARI can be improve for the multi-spectral demosaicing [31].

T. Yu and W. Hu [32] proposed intra Joint inter and channel information for color image demosaicing. This approach exploits the channel color correlation by handling demosaicing problem via a TV(Total variation)-norm optimization. Afterwards, this correlation technique is introduce into the demosaicing framework with using color differences. In [33], Wu and Timofte proposed an affective post-processing step, which combined with all previously mentioned methodologies of demosaicing, and improve their performance. Generally, it combines with fast ones, so that to get a high-speed performance. The performance of proposed approach can be boost via a post-processing method.

The RI is widely used for ‘color image demosaicing’ (CID), which is alternative of color difference ‘interpolation’. D.

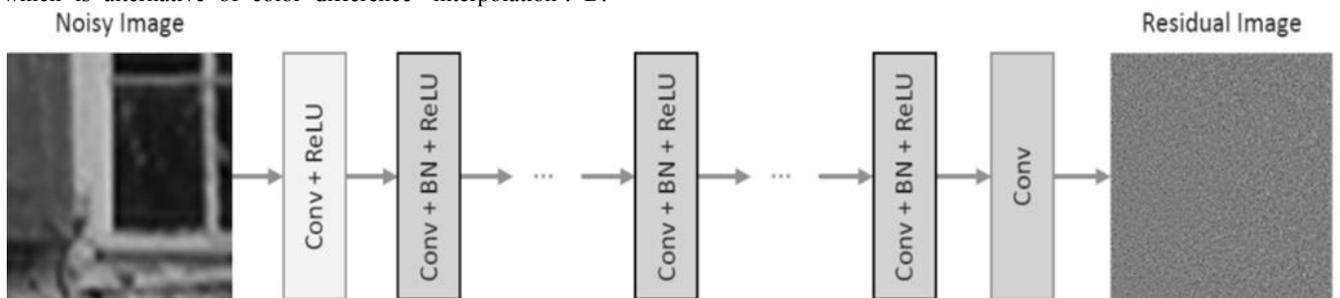


Figure 1: The architecture of the Proposed DCNN network

Deep architecture involves DCNN with depth d , there are three layer types, which shown in Fig: 1 with the three different color. (i) $conv + ReLU(RLU)$: in first layer, $3 \times 3 \times k$ size of filters are used to develop 64 feature maps and the Rectified-Linear-Units (RLU) are then used for nonlinearity. The k represents no. of image channels, $k = 1$

Kiku and Y. Monno et al. [34] showed that accuracy of interpolation has improved via reducing the image Laplacian energy. From the observation, the proposed MLRI performs an interpolation under a residual domain, with minimal Laplacian Energy (LE). For better optimization, D. Kiku [34] also proposed an algorithm that is Novel demosaicing algorithm. Through incorporating the MLRI approach [35] into GBTF algorithm [36], is one of a modern Bayer demosaicing algorithm. This proposed method reduces the color artifacts for color image dataset. Further, it can be improve in removing the noise effects and proposed method is also applicable for another variant of CFAs [37] [38].

3. PROPOSED MODEL

3.1 The Proposed De-noisingCNN Model

In this part, we propose the De-noising-CNN model, i.e., DCNN. It extended for handling some of the general “Image De-noising” tasks. Normally, for training the deep CNN model, it is generally involves two steps for specific task: design of network architecture and learning of model from the training data.

- Network Architecture

Input to DCNN is the noisy observation $B = A + W$. Denoising discriminative prototypes such as CSF [17] and MLP [31] aim towards study of mapping function $F(B) = A$ to estimate the latent-clean image. Considering DCNN, we approach the residual learning function for training a residual mapping $R(B) \approx W$, afterwards, we have $B = A + R(B)$. The average-mean-square error between estimated and desired residual image from noisy input is consider as the loss function that to study the trainable parameters ∂ in DCNN.

$$L(\partial) = \frac{1}{2N} \sum_{i=1}^N \|R(B_i; \partial) - (B_i - A_i)\|_F^2 \quad (1)$$

Here, $\{(B_i, A_i)\}_{i=1}^N$ represents N noise-clean training image patch.

using for gray image and for color image $k = 3$. (ii) $conv + BN + ReLU(RLU)$:for the layer 2: $(d - 1)$, 64 filters that of size $3 \times 3 \times 64$ are used and, batch normalization (BN) [28] is added in between RLU and convolution (Conv). (iii) Conv: at last layer, k filters of the size $3 \times 3 \times 64$ has used for reconstruction of output

For addition, the DCNN model is having two leading features: the adoption of residual learning [29] help to learn $R(B)$ and the batch-normalization [28] process has incorporated to increase the training speed that also maximize the performance of de-noising. Through integrating convolution with RLU and DCNN can progressively separate the structure of image from a noisy one by the hidden layers.

3.2 Frequency Domain Approach for Demosaicing

Frequency domain (FD) based approach have consider reconstructing the color image. We consider the luminance component, which extracted in FD to re-construct the original color image using CNN. The proposed image demosaicing model considering the information of luminance in the FD, the steps are as follows.

Alignment of image: using the low frequency information (luminance) set of the images of the CFA Fourier transform images are aligned pairwise.

1. Chrominance and Luminance separation: the input image has extracted in luminance channel and three-chrominance channel. The adoption of bilinear interpolation helps to recombine the 3-chrominance and a luminance channel, which result an intermediate image.
2. Reconstruction of image: CNN algorithm has applied to reconstruct the image, which has performed after the bilinear interpolation. Duration the training phase, the approach is done with the both original patches V_i and intermediate image patches U_i . After training, the final reconstructed image is obtained.

3.2.1 Luminance/Chrominance Separation

In order to interpolate, we separate the luminance and chrominance information, each of the images interpolate separately. The luminance signal has extracted from the CFA images using a low-pass filter F identified by Alleyson et al [39] (Eqn. (2)). By subtracting the luminance information from the red, green and blue channels of the CFA image and demodulating the result, the three-chrominance parts (for red, green and blue) has obtained. In a luminance, image this result α and three chrominance images S_1, S_2 and S_3 all at the original image size.

$$\begin{aligned} \alpha &= I_{CFA} * F \\ S_1 &= ((I_{CFA} - \alpha) e T_1) * R_1 \\ S_2 &= ((I_{CFA} - \alpha) e T_2) * R_2 \\ S_3 &= ((I_{CFA} - \alpha) e T_3) * R_1 \end{aligned} \quad (2)$$

$$\text{With } R_1 = \frac{1}{4} \begin{pmatrix} 1 & 2 & 1 \\ 2 & 4 & 2 \\ 1 & 2 & 1 \end{pmatrix} \text{ and } R_2 = \frac{1}{4} \begin{pmatrix} 0 & 1 & 0 \\ 1 & 4 & 1 \\ 0 & 1 & 0 \end{pmatrix}$$

The matrices R_1 and R_2 given above are two demodulation (or interpolation) filters, and the symbol e is used represent a point wise multiplication of two matrices. The $T_1,$

T_2 and T_3 are modulation matrices for each of the chrominance parts. The process of computing their mass resolution versions using Normalized Convolution (NC) approach proposed in [40] on each of the four channel separately. To have the highest contributions from samples close to the considered pixel, a Gaussian weighting function (applicability function) is used and they make use of a variance $\sigma^2 = 2$.

The computing process of a pixel of the high-resolution image has done from the pixels in a neighbour-hood around, it as:

$$U' = (b^T W b)^{-1} b^T W f \quad (3)$$

where f is said to be $N \times 1$ vector which contains the 'neighbour-hood pixels', b is an $N \times m$ matrix of m basis functions tested at the local coordinates of the pixels f , and W is an $N \times N$ weighting matrix at the pixel coordinates which contains the Gaussian weights sampled. The interpolated pixel value has given by the first element of the $m \times 1$ vector U' . A circular region with radius four times the pixel distance of the high-resolution image has used for neighbourhood selection. The pixels number N in this region may differ depending on the location because of the non-uniform grid.

For the luminance channel α we perform bilinear interpolation, as well as for each of the chrominance channels S_1, S_2 and then we add luminance and chrominance together, which results in an intermediate high-resolution colour image U . To compute the U , we consider N pixels of the high-resolution image can be given as

$$U = \sum \sum U' \quad (4)$$

Here U give rise to error / artifacts, to compute high resolution image, the final high resolution image are computed by fitting a polynomial surface and in the quality of interpolation such as using Low-order NC with a large applicability window cannot reconstruct small details in the image, it is a scale of the applicability function which plays a decisive role.

3.2.2 Image Reconstruction

We assume U is the intermediate image, which has obtained from Eqn.(4) and V is the perfect demosaiced image; we formulate the image corruption process below

$$U = \Omega(V) \quad (5)$$

Where the value of $\Omega = R^n \rightarrow R^n$ which is an arbitrary stochastic error process induced because of the polynomial surface fitting. Later, demosaicing learning objective becomes:

$$g = \underset{g}{\operatorname{argmin}} A_Q \|g(U) - V\|_2^2 \quad (6)$$

In Eqn. (6), the task is to find a function 'g' that best approximates Ω^{-1} . By choosing appropriate Ω in different situations, we can treat the image demosaicing problem in a unified framework.

3.2.3 Image Reconstruction Demosaicing Auto Encoder (IRDA)

Let V_i be the original data for $i=1,2,3,\dots,N$, where U_i be the corrupted version of corresponding V_i

$$h(U_i) = \varphi(W_p \cdot b) \quad (7)$$

$$\mathbf{V}(U_i) = \varphi(W'h(U_i)+b') \quad (8)$$

Where $\varphi(U_i) = (1 + \exp(-U))^{-1}$ is known as sigmoid activation function, which is applied component wise to vectors, hidden layer activation is h_i , $\mathbf{V}(U_i)$ is an approximation of V_i and the weights and biases is represented by $\omega = \{W, b, W', b'\}$. To minimize the reconstruction loss, IRDA can trained with various optimization methods

$$\omega = \underset{\omega}{\operatorname{argmin}} \sum_{i=1}^N \|V_i - \mathbf{V}(U_i)\| \quad (9)$$

After training IRDA, by using the hidden layer activation of the first layer as the input of the next layer, we move on to training the next layer.

3.2.4 Convolution Neural Network Based Image Reconstruction Algorithm

In this section, the proposed model Convolutional Neural Network Based Image Reconstruction Algorithms structure and optimization objective has described. The entire image is intractable due to direct processing; we draw overlapping patches instead from the image as our data objects.

In the training phase, with both the corrupted error image patches, U_i the model is supply, for $i=1,2,3,\dots,N$ and the original patches V_i . IRDA will be able to reconstruct the corresponding clean image given any error observation only after the training.

To combine sparse coding and neural networks and avoid over-fitting, and to minimize the reconstruction loss regularized by a sparsity-inducing term we train IRDA.

$$M_1(U, V, \omega) = \frac{1}{N} \sum_{i=1}^N \frac{1}{2} \|V_i - \mathbf{V}(U)\|_2^2 + \delta \operatorname{KL}(\hat{\Gamma} \parallel \Gamma) + \frac{\lambda}{2} (\|W\|_s^2 + \|W'\|_s^2) \quad (10)$$

$$\operatorname{KL}(\hat{\Gamma} \parallel \Gamma) = \sum_{j=1}^{|\hat{\Gamma}|} \Gamma \log \frac{\Gamma}{\hat{\Gamma}_j} + (1 - \Gamma) \log \frac{(1 - \Gamma)}{1 - \hat{\Gamma}} \quad (11)$$

$$\hat{\Gamma} = \frac{1}{N} \sum_i^N h(U_i) \quad (12)$$

Where $h(\cdot)$ and $\hat{\mathbf{V}}(\cdot)$ are explained in Eqn. (7) and Eqn. (8) respectively. Here the average activation of the hidden

layer is $\hat{\Gamma}$. By choosing small, Γ we regularize the hidden layer representation to be sparse, so that the mean activation of hidden units to be small has been encouraged by the KM divergence term. Therefore, most of the time the hidden units will be zero and achieve sparsity.

We use $h(V_i)$ and $h(U_i)$ as the clean and error input respectively for the second IRDA only after training of the first IRDA. Since in a different space from V_i the $h(V_i)$ lies, the meaning of applying $\Omega(\cdot)$ to $h(V_i)$ is not so clear. We used $\Omega(h(V_i))$ as the error input after discarding U_i .

With the weights obtained from K layered IRDAs, we initialize a deep network. In which a network has one input layer, one output and $2K-1$ hidden layers. Using the standard back-propagation algorithm the entire network has trained to minimize the below objective:

$$M_2(U, V, \omega) = \frac{1}{N} \sum_{i=1}^N \frac{1}{2} \|V_i - \mathbf{V}(U)\|_2^2 + \frac{\lambda}{2} \sum_{j=1}^{2K} (\|W_j\|_s^2) \quad (12)$$

Because of pre-trained weights will serve as regularization to the network, we removed the sparsity regularization [41], according to [42], the loss functions are optimized with L-BFGS algorithm to achieve fastest convergence in our settings is done during pre-training and fine tuning stages.

4. RESULT ANALYSIS

This section deals with the achieved results by applying our proposed methodologies for the color image de-noising and demosaicing. This approach is implemented using 2016b MATLAB version tool on the dataset, which are publicly available. For the evaluation of performance, we considering 24 bmp images from Kodak dataset that is of 768×512 in size. In our proposed approach each of the image is de-noises with the CNN and Afterwards, Frequency domain Approach is apply for demosaicing that is followed by CNN. This proposed approach compared with the other modeled technologies and the quality of performance is compute in terms of PSNR value of Green, Red and Blue channels. Figure 2 shows the 24 Kodak images that we are considering as a dataset.

For calculating the performance of our proposed methodologies, we differentiate the output demosaiced image and the original image and calculate its CPSNR (“color-peak signal-to-noise ratio”). For the each channel of every Kodak image, separate CPSNR has calculated and the CPSNR of reconstructed image. The CPSNR value of combined channel is calculate as:

$$\text{CPSNR} = 10 \log \frac{(255)^2}{\frac{1}{3 \times H \times W} \sum_{i=0}^3 \sum_{x=0}^{H-1} \sum_{y=0}^{W-1} (I_o(x, y, i) - I_d(x, y, i))^2} \quad (13)$$

Here, I_o is the original input image; H denotes height of image, W width of image and I_d is the demosaiced image. The value of ‘i’ varies from 1 to 3 based on three color planes.

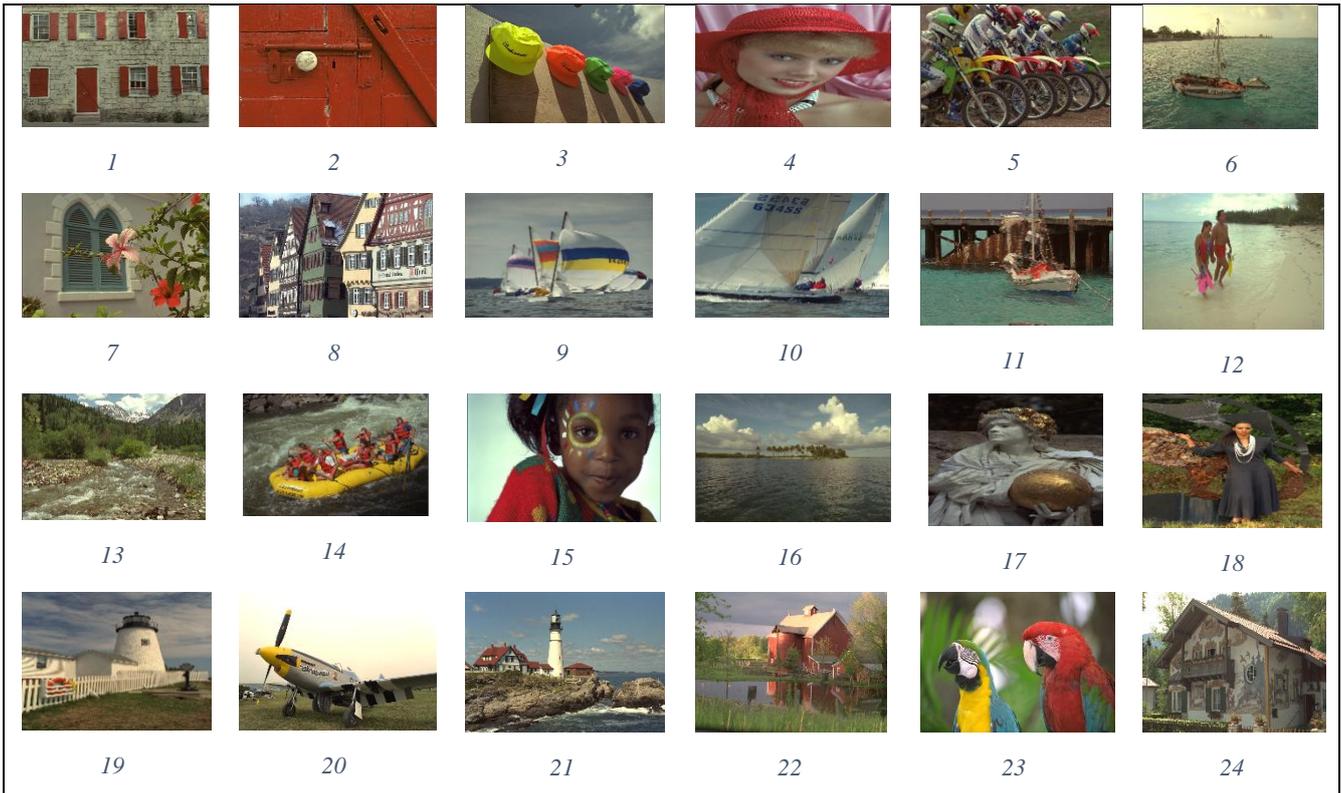


Figure 2: Kodak Dataset Consisting of 24 images

Table 1: De-noising and Demosaicing PSNR Performance values

Image no.	De-noising				Demosaicing			
	Red channel	Green channel	Blue channel	CPSNR	Red channel	Green channel	Blue channel	CPSNR
1	37.7354	41.4675	38.2405	38.8637	45.4655	47.2035	45.3736	45.8887
2	39.0606	45.1107	42.5118	41.5272	48.0027	50.5756	48.4814	48.8034
3	43.3546	46.5302	42.5245	43.8251	49.1246	50.9741	49.2229	49.6462
4	38.3593	45.2273	43.4255	41.3203	48.4641	50.7808	48.8523	49.1861
5	38.1082	41.1222	37.2559	38.5395	46.0416	47.6154	46.0948	46.4884
6	40.2328	43.6045	39.0661	40.582	46.0330	48.1142	46.0370	46.5609
7	43.0347	46.1126	42.2135	43.4916	49.2400	50.9804	49.1835	49.6781
8	35.7171	40.0911	35.7421	36.7601	44.8327	46.9167	44.8485	45.3660
9	42.5682	45.8929	42.5371	43.4085	48.7392	50.8552	49.1579	49.4353
10	42.0079	45.8017	42.2295	43.0358	48.8379	50.9301	49.1515	49.4899
11	39.4112	43.2493	40.1635	40.6525	46.7951	48.7441	46.9064	47.3413
12	43.3349	47.2484	43.4017	44.3206	48.9786	51.0344	48.8698	49.4553
13	34.722	37.4754	33.5855	34.976	44.3970	45.6242	44.3169	44.7141
14	36.9257	41.1428	37.1498	38.0263	46.4603	48.3953	46.7689	47.0798
15	37.8368	43.3049	41.0215	40.1424	48.3634	50.1556	48.4517	48.8695
16	43.674	46.8584	42.9165	44.1786	47.3418	49.6829	47.3572	47.9200
17	41.4636	43.9943	40.7508	41.8624	48.5354	50.1183	48.6040	48.9901
18	36.6123	39.6548	36.6678	37.4327	46.2079	47.5695	46.3231	46.6310
19	40.1549	43.7405	40.6933	41.2687	47.1127	49.1092	47.3704	47.7250
20	42.512	45.0649	39.7337	41.9031	48.6013	50.2336	48.6583	49.0621
21	39.5372	42.6231	38.0802	39.6994	46.6647	48.4007	46.6422	47.1156

22	38.7829	41.5843	38.0229	39.215	47.4979	49.0188	47.3288	47.8450
23	42.946	46.4835	43.2831	43.9731	49.9882	51.9456	50.6982	50.7561
24	35.8236	38.0721	33.0117	35.146	46.2462	47.5865	45.9628	46.5076
Average	39.7465	43.3940	39.7595	40.5896	47.4155	49.2736	47.5276	47.9398

Table 1 represents the additional information of denoising and, R, G, and B channels PSNR. According to the results, it seems that our proposed denoising and demosaicing methodologies is effective and robust on the wide range of Kodak dataset images. The average CPSNR value of (proposed) de-noised 24 Kodak dataset image is 40.59 dB and for the demosaicing case, CPSNR value is 47.94 dB. An image from the Kodak dataset has taken to show the variation in image, original image to de-noise image and afterwards, de-noise image to Demosaic image. Figure 3 shows the

original image, de-noise image and demosaiced image, this is the first image from the Kodak dataset. For the comparison of proposed approach, performance with other existing approaches is meaningful to find out the optimized result. Here, table 2 shows the comparison of the existing approaches and our proposed approach. The average values of 24 Kodak images has taken of Circ4 [43], Wang CFA [44], DDR [33], FR [33], MLRI [28] and our proposed approach CPSNR values.



Figure 3: (a) Original image from Kodak dataset, (b) Zoomed red square part of original image, (c) De-noise image, (d) Zoomed red square part of de-noise image, (e) Demosaic output image and (f) Zoomed red square part of demosaic image.

Table 2: Comparison table of the existing methods with our proposed approach. (In terms of CPSNR)

Image No.	DDR[33]	FR[33]	Circ4[42]	Wang CFA[43]	MLRI[28]	Our Proposed Method
1	40.0882	39.7031	39.17	35.35	43.43	45.8888
2	41.4867	41.6328	39.31	38.11	40.23	48.8035
3	44.057	44.1495	37.83	38.4	45.11	49.6462
4	41.4366	41.5841	39.88	38.32	44.26	49.1861
5	39.3056	39.3367	33.93	33.62	44.22	46.4884
6	41.4361	41.326	39.33	36.74	44.52	46.5609
7	43.687	43.8461	37.51	38.83	44.33	49.6781
8	37.5114	37.3933	36.36	33.37	37.67	45.366
9	43.8016	43.7787	39.19	39.33	40.12	49.4353
10	43.3092	43.3516	40.71	38.12	40.62	49.4899
11	41.3479	41.2523	39.29	36.77	43.34	47.3413
12	44.6544	44.7106	41.03	40.61	46.92	49.4553
13	36.1702	35.788	33.7	31.75	40.43	44.7141
14	38.2368	38.37	33.36	33.3	43.8	47.0798
15	40.1363	40.1631	38.11	37.6	45.52	48.8695
16	44.772	44.7449	42.24	39.89	44.55	47.9201
17	42.4419	42.4173	39.92	39.11	39.89	48.9901
18	38.1835	38.0551	34.92	34.83	37.31	46.6310
19	42.049	41.9158	39.46	37.63	42.69	47.7249
20	42.3627	42.3495	38.3	38.02	43.11	49.0621
21	40.5918	40.3939	38.23	36.69	41.45	47.1156
22	39.4463	39.564	36.58	36.55	42.19	47.845
23	44.0747	44.2184	37.17	39.2	45.07	50.7561
24	35.7649	35.6556	34.84	33.23	45.35	46.5076
Average	41.0980	41.0708	37.9321	36.8904	42.7554	47.9398

Our proposed model (Average CPSNR of 47.94) is compared with Circ4 [42] (Average CPSNR of 37.93 dB) and it is 20.87% less dB compared to our proposed approach. When ours one compared to Wang CFA [43] (Average CPSNR of 36.9 dB), 23.05% improvement is seems in our proposed CPSNR 14.27%.of improvement is seems, when it compared to DDR [33] that average CPSNR value is 41.09 dB.

Similarly, improved performance has achieved as 14.33% and 10.81% when it compared from FR [33] (Average CPSNR of 41.07 dB) and MLRI [28] (Average CPSNR of 42.75 dB). From the above comparison, it is concluded that our proposed methods performs better compared to the other algorithm for the CI (Color Image) demosaicing

5. CONCLUSION

The importance of demosaicing and de-noising is discussed in this paper. The Color image(CI) taken using CFA has corrupted with noise and minimal two-third of CI data is missing. Both de-noising and demosaicing techniques are performed independently and sequentially. Coupling de-noising with demosaicing is essential to improve image quality .Very Limited amount of work is carried out by considering de-noising along with demosaicing. The drawbacks of existing systems are clearly discussed in this paper. To overcome these drawbacks the proposed model considers frequency domain approach for demosaicing.

Adaption in demosaicing is achieved using CNN. To perform de-noising, recently introduced CNN is adopted in the proposed model. Modeling and realization of proposed model is discussed in this paper. The commonly used KODAK dataset is considered for performance evaluation. Comparison results obtained using proposed model and other state of art techniques is presented. Superior performance of proposed model is proved based on results obtained. Coupling de-noising with demosaicing improves performance when compared to solitary demosaicing algorithms.

In the future, evaluating performance on additional CI data can be taken into consideration. Exploring additional de-noising techniques is another possible direction for future scope.

6. REFERENCES

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