

# Parameters to find the cause of Global Terrorism using Rough Set Theory

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## ABSTRACT

Terrorism is curse to mankind ,it affect globally as an unit, in this paper our intention to find the cause why young people attracted towards terrorism ,to find this we are using rough set concept which provide us the approximate parameter for terrorism

## Keywords

Rough Set Theory, related data, regarding terrorism  
Granular computing, Data mining

## 1. INTRODUCTION

The growth of data size and number of existing databases are far exceeds the ability of humans to analyze it. Which creates an urge to ex-tract knowledge from databases[1] data regarding terrorism is so high that it's databases has accumulated large volume of information . In the present scenario intelligent method[2] means data analysis based upon strong assumptions knowledge about dependencies, probability distributions and large number of experiments which unable to derive conclusions from incomplete knowledge, or cannot proceed further with the inconsistent pieces of information. The standard intelligent method available for data analysis are neural network[3] Bayesian classifier [4] genetic algorithms[5] decision trees [6] fuzzy set [7] . Rough set theory, Professor Z. Pawlak [8] .The theory of rough sets is a mathematical tool for deriving inference from un-certain and incomplete data base information. The rough set reduction algorithms contribute to approximate the decision classes using possibly large and simplified patterns [9]. Dempster–Shafer theory or statistical methods, rough set analysis requires no external parameters and uses only those information present in the given data [10].In this paper we discusses how rough set theory is useful in analyzing large data collected from different sources , and for generating classification rules from a set of observed samples of the common people. Using rough set reduction technique we find all reducts of the data which contains the minimal subset of attributes that are associated with a class label for classification. This paper is organized in the following manner 1<sup>st</sup> section contains the literature review 2<sup>nd</sup>section deals with data analysis . Which we collected from various sources and 3<sup>rd</sup> section contains the algorithm and rule generation for

classification and statistical validation the 4<sup>th</sup> section contains the conclusion part and the future work.

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## 2. PRILIMINARIES

### 2.1 Rough set

Rough set theory as introduced by Z. Pawlak[8] is an extension of conventional set theory that support approximations in decision making.

### 2.1.1 Approximation Space

An Approximation space is a pair  $(U, R)$  where  $U$  is a non empty finite set called the universe  $R$  is an equivalence relation defined on  $U$ .

### 2.1.2 Information System

An information system is a pair  $S = (U, A)$ , where  $U$  is thenon-empty finite set called the universe,  $A$  is the non-empty finite set of attributes.

### 2.1.3 Decision Table

A decision table is a special case of information systems  $S = (U, A = C \cup \{d\})$ , where  $d$  is not in  $C$ . Attributes in  $C$  are called conditional attributes and  $d$  is a designated attribute called the decision attribute.

### 2.1.4 Approximations of Sets

Let  $S = (U, R)$  be an approximation space and  $X$  be a subset of  $U$ . The lower approximation of  $X$  by  $R$  in  $S$  is defined as  $\underline{RX} = \{e \in U \mid [e] \subseteq X\}$  and The upper approximation of  $X$  by  $R$  in  $S$  is defined as  $\overline{RX} = \{e \in U \mid [e] \cap X \neq \emptyset\}$  where  $[e]$  denotes the equivalence class containing  $e$ . A subset  $X$  of  $U$  is said to be  $R$ -definable in  $S$  if and only if  $\overline{RX} = \underline{RX}$ . A set  $X$  is rough in  $S$  if its boundary set is nonempty.

## 2.2 Reduct and Core

Let  $S = (U, A = C \cup D)$  be a decision table. A subset  $R$  of  $C$  is a reduct of  $C$ , if  $POS_R(D) = POS_C(D)$  and  $S' = (U, R \cup D)$  is independent, i.e., all attributes in  $R$  are indispensable in  $S'$ . Core of  $C$  is the set of attributes shared by all reducts of  $C$ .  $CORE(C) = \bigcap RED(C)$  where,  $RED(C)$  is the set of all reducts of  $C$ . The reduct is often used in the attribute selection process to eliminate redundant attributes towards decision making.

## 2.3 Correlation

Correlation define as a mutual relationship or connection between two or more things .The quantity  $r$ , called the *linear correlation coefficient*, measures the strength and the direction of a linear relationship between two variables. The linear correlation coefficient is sometimes referred to as the *Pearson product moment correlation coefficient* in honor of its developer Karl Pearson. The mathematical formula for its coefficient given by the formula.

$$r = \frac{n \sum xy - (\sum x)(\sum y)}{\sqrt{n(\sum x^2) - (\sum x)^2} \sqrt{n(\sum y^2) - (\sum y)^2}}$$

## 2.4 Different Types of Error

1. Type 1 error-Rejecting a hypothesis even though it is true
2. Type 2 error-Accepting the hypothesis when it is false
3. Type 3 error-Rejecting a hypothesis correctly for wrong reason

## 3. BASIC IDEA

Basic idea for the proposed work is conceived from very general system . We initially consider 1000 samples, of very common people and seven conditional attributes such as profession , lack of education, below poverty lines ,blind faith opportunist ,socially neglected and minority it's values are defined as average ,above average and high and

decision attributes are positive , negative . For better understanding we rename the attributes as  $(a_1, a_2, a_3, a_4, a_5, a_6, a_7)$  as conditional attributes ,  $(b_1, b_2, b_3)$  as values of the conditional attributes and  $(c_1, c_2)$  as decision attributes respectively We collected the data for our from different sources

## 4. DATA REDUCTION

Approximation: The starting point of rough set theory is the indiscernibility relation, generated by information concerning objects of interest. The indiscernibility relation is intended to express the fact that due to the lack of knowledge it is unable to discern some objects employing the available information Approximations is also other an important concept in Rough Sets Theory, being associated with the meaning of the approximations topological operations (Wu et al., 2004). The lower and the upper approximations of a set are interior and closure operations in a topology generated by the indiscernibility relation. Below is presented and described the types of approximations that are used in Rough Sets Theory.

*a. Lower Approximation:* Lower Approximation is a description of the domain objects that are known with certainty to belong to the subset of interest. The Lower Approximation Set of a set  $X$ , with regard to  $R$  is the set of all objects, which can be classified with  $X$  regarding  $R$ , that is denoted as  $R_L$ .

*b. Upper approximation:* Upper Approximation is a description of the objects that possibly belong to the subset of interest. The Upper Approximation Set of a set  $X$  regarding  $R$  is the set of all of objects which can be possibly classified with  $X$  regarding  $R$ . Denoted as  $R_U$

*c. Boundary Region (BR):* Boundary Region is description of the objects that of a set  $X$  regarding  $R$  is the set of all the objects, which cannot be classified neither as  $X$  nor  $\neg X$  regarding  $R$ . If the boundary region  $X = \emptyset$  then the set is considered "Crisp", that is, exact in relation to  $R$ ; otherwise, if the boundary region is a set  $X \neq \emptyset$  the set  $X$  "Rough" is considered. In that the boundary region is  $BR = R_U - R_L$ .

Application and analysis on the data set and rule generation being presented in the following tables. Table -1 is the initial table, and the process of analysis is present in the subsequent tables.

Table-1

$E$	$a_1$	$a_2$	$a_3$	$a_4$	$a_5$	$a_6$	$a_7$	$d$
$E_1$	$b_2$	$b_2$	$b_1$	$b_1$	$b_1$	$b_2$	$b_1$	$c_2$
$E_2$	$b_2$	$b_2$	$b_1$	$b_3$	$b_3$	$b_2$	$b_2$	$c_2$
$E_3$	$b_1$	$b_2$	$b_2$	$b_3$	$b_3$	$b_1$	$b_2$	$c_1$
$E_4$	$b_1$	$b_2$	$b_2$	$b_3$	$b_3$	$b_1$	$b_2$	$c_1$
$E_5$	$b_3$	$b_3$	$b_3$	$b_3$	$b_2$	$b_3$	$b_2$	$c_2$
$E_6$	$b_1$	$b_2$	$b_2$	$b_2$	$b_2$	$b_1$	$b_2$	$c_2$
$E_7$	$b_2$	$b_2$	$b_2$	$b_2$	$b_2$	$b_2$	$b_2$	$c_1$
$E_8$	$b_1$	$b_1$	$b_1$	$b_1$	$b_1$	$b_1$	$b_1$	$c_2$

E <sub>9</sub>	b <sub>1</sub>	b <sub>2</sub>	b <sub>2</sub>	b <sub>3</sub>	b <sub>3</sub>	b <sub>1</sub>	b <sub>3</sub>	c <sub>1</sub>
E <sub>10</sub>	b <sub>1</sub>	b <sub>2</sub>	b <sub>2</sub>	b <sub>2</sub>	b <sub>2</sub>	b <sub>1</sub>	b <sub>2</sub>	c <sub>2</sub>
E <sub>11</sub>	b <sub>2</sub>	b <sub>3</sub>	b <sub>3</sub>	b <sub>3</sub>	b <sub>3</sub>	b <sub>2</sub>	b <sub>2</sub>	c <sub>1</sub>
E <sub>12</sub>	b <sub>1</sub>	b <sub>2</sub>	b <sub>3</sub>	b <sub>1</sub>	b <sub>2</sub>	b <sub>1</sub>	b <sub>2</sub>	c <sub>1</sub>
E <sub>13</sub>	b <sub>3</sub>	b <sub>2</sub>	b <sub>2</sub>	b <sub>2</sub>	b <sub>1</sub>	b <sub>3</sub>	b <sub>1</sub>	c <sub>2</sub>
E <sub>14</sub>	b <sub>3</sub>	b <sub>3</sub>	b <sub>3</sub>	b <sub>3</sub>	b <sub>3</sub>	b <sub>3</sub>	b <sub>3</sub>	c <sub>1</sub>
E <sub>15</sub>	b <sub>1</sub>	b <sub>1</sub>	b <sub>1</sub>	b <sub>1</sub>	b <sub>1</sub>	b <sub>1</sub>	b <sub>1</sub>	c <sub>2</sub>
E <sub>16</sub>	b <sub>1</sub>	b <sub>1</sub>	b <sub>1</sub>	b <sub>1</sub>	b <sub>1</sub>	b <sub>1</sub>	b <sub>1</sub>	c <sub>2</sub>
E <sub>17</sub>	b <sub>1</sub>	b <sub>3</sub>	b <sub>2</sub>	b <sub>2</sub>	b <sub>3</sub>	b <sub>1</sub>	b <sub>3</sub>	c <sub>1</sub>
E <sub>18</sub>	b <sub>1</sub>	b <sub>2</sub>	b <sub>2</sub>	b <sub>3</sub>	b <sub>2</sub>	b <sub>1</sub>	b <sub>2</sub>	c <sub>2</sub>
E <sub>19</sub>	b <sub>1</sub>	b <sub>3</sub>	b <sub>1</sub>	b <sub>3</sub>	b <sub>3</sub>	b <sub>1</sub>	b <sub>3</sub>	c <sub>2</sub>
E <sub>20</sub>	b <sub>1</sub>	b <sub>3</sub>	b <sub>1</sub>	b <sub>3</sub>	b <sub>3</sub>	b <sub>1</sub>	b <sub>3</sub>	c <sub>1</sub>

The decision table -1, takes the initial values before finding the reduct looking at the data table it is found that entities E<sub>15</sub>, E<sub>16</sub>, are same so keep one record either from E<sub>15</sub> or E<sub>16</sub> similarly E<sub>3</sub>, E<sub>4</sub> has same value so we keep one record either from E<sub>3</sub> or E<sub>4</sub> in the next table. E<sub>19</sub> and E<sub>20</sub> ambiguous in nature so we drop both from next table, that is table-2

Reduced Table-2 from table-1

E	a <sub>1</sub>	a <sub>2</sub>	a <sub>3</sub>	a <sub>4</sub>	a <sub>5</sub>	a <sub>7</sub>	D
E <sub>1</sub>	b <sub>2</sub>	b <sub>2</sub>	b <sub>1</sub>	b <sub>1</sub>	b <sub>1</sub>	b <sub>1</sub>	c <sub>2</sub>
E <sub>2</sub>	b <sub>2</sub>	b <sub>2</sub>	b <sub>1</sub>	b <sub>3</sub>	b <sub>3</sub>	b <sub>2</sub>	c <sub>2</sub>
E <sub>4</sub>	b <sub>1</sub>	b <sub>2</sub>	b <sub>2</sub>	b <sub>3</sub>	b <sub>3</sub>	b <sub>2</sub>	c <sub>1</sub>
E <sub>5</sub>	b <sub>3</sub>	b <sub>3</sub>	b <sub>3</sub>	b <sub>3</sub>	b <sub>2</sub>	b <sub>2</sub>	c <sub>1</sub>
E <sub>6</sub>	b <sub>1</sub>	b <sub>2</sub>	b <sub>2</sub>	b <sub>2</sub>	b <sub>2</sub>	b <sub>2</sub>	c <sub>2</sub>
E <sub>7</sub>	b <sub>2</sub>	b <sub>2</sub>	b <sub>2</sub>	b <sub>2</sub>	b <sub>2</sub>	b <sub>2</sub>	c <sub>1</sub>
E <sub>8</sub>	b <sub>1</sub>	b <sub>1</sub>	b <sub>1</sub>	b <sub>1</sub>	b <sub>1</sub>	b <sub>1</sub>	c <sub>2</sub>
E <sub>9</sub>	b <sub>1</sub>	b <sub>2</sub>	b <sub>2</sub>	b <sub>3</sub>	b <sub>3</sub>	b <sub>3</sub>	c <sub>1</sub>
E <sub>10</sub>	b <sub>1</sub>	b <sub>2</sub>	b <sub>2</sub>	b <sub>2</sub>	b <sub>2</sub>	b <sub>2</sub>	c <sub>2</sub>
E <sub>11</sub>	b <sub>2</sub>	b <sub>3</sub>	b <sub>3</sub>	b <sub>3</sub>	b <sub>3</sub>	b <sub>2</sub>	c <sub>1</sub>
E <sub>12</sub>	b <sub>1</sub>	b <sub>2</sub>	b <sub>3</sub>	b <sub>1</sub>	b <sub>2</sub>	b <sub>2</sub>	c <sub>1</sub>
E <sub>13</sub>	b <sub>3</sub>	b <sub>2</sub>	b <sub>2</sub>	b <sub>2</sub>	b <sub>1</sub>	b <sub>1</sub>	c <sub>2</sub>
E <sub>14</sub>	b <sub>3</sub>	b <sub>3</sub>	b <sub>3</sub>	b <sub>3</sub>	b <sub>3</sub>	b <sub>3</sub>	c <sub>1</sub>
E <sub>15</sub>	b <sub>2</sub>	b <sub>1</sub>	b <sub>1</sub>	b <sub>1</sub>	b <sub>1</sub>	b <sub>1</sub>	c <sub>2</sub>
E <sub>17</sub>	b <sub>1</sub>	b <sub>3</sub>	b <sub>2</sub>	b <sub>2</sub>	b <sub>3</sub>	b <sub>3</sub>	c <sub>1</sub>
E <sub>18</sub>	b <sub>1</sub>	b <sub>2</sub>	b <sub>2</sub>	b <sub>3</sub>	b <sub>2</sub>	b <sub>2</sub>	c <sub>2</sub>

$$E_{high} = \{E_4, E_5, E_7, E_9, E_{11}, E_{12}, E_{14}, E_{17}\} \dots\dots\dots(1)$$

$$E_{average} = \{E_1, E_2, E_6, E_8, E_{10}, E_{13}, E_{15}, E_{18}\} \dots\dots\dots(2)$$

$$E(a_1)_{average} = \{E_4, E_6, E_8, E_9, E_{10}, E_{12}, E_{17}, E_{18}\} \dots\dots\dots(3)$$

$$E(a_1)_{aboveaverage} = \{E_1, E_2, E_7, E_{11}, E_{15}\} \dots\dots\dots(4)$$

$$E(a_1)_{high} = \{E_5, E_{13}, E_{14}\} \dots\dots\dots(5)$$

The above result when compared with the high cases E(a<sub>1</sub>)<sub>high</sub> strength[11] positive found to be 2/3 about 66% where as for average cases of positive E(a<sub>1</sub>)<sub>average</sub> is 1/2 about 50% strength[11] 1/3, so we arrive at a contradiction that we have 66% high positive cases and 50% average positive cases and almost 50% above average cases positive cases so for that a<sub>1</sub> doesn't provide any significance similarly

$$E(a_2)_{average} (negative) = \{E_8, E_{15}\} \dots\dots\dots(6)$$

$$E(a_2)_{aboveaverage} (negative) = \{E_1, E_2, E_4, E_6, E_7, E_9, E_{10}, E_{12}, E_{13}, E_{18}\} \dots\dots\dots(7)$$

$$E(a_2)_{high} (positive) = \{E_5, E_{11}, E_{17}\} \dots\dots\dots(8)$$

Similar analysis strength[11] high a<sub>2</sub> will be 4/4=1 about cent percent of positive result And for strength[11] for average a<sub>2</sub> negative will be also 3/3=1 about cent percent this attributes provide us a strong conclusion regarding the attribute a<sub>2</sub>, as both cases positive high and average negative result is about cent percent. So this is an important attribute for further classification. now similarly for a<sub>3</sub>.

$$E(a_3)_{average} (negative) = \{E_1, E_2, E_8, E_{15}\} \dots\dots\dots(9)$$

$$E(a_3)_{aboveaverage} = \{E_4, E_6, E_7, E_9, E_{10}, E_{13}, E_{17}, E_{18}\} \dots\dots\dots(10)$$

$$E(a_3)_{high} (positive) = \{E_5, E_{11}, E_{12}\} \dots\dots\dots(11)$$

Finding the strength [11] high a<sub>3</sub> high cases will be 4/4=1 that is about cent percent and similarly for strength [11] for average a<sub>3</sub> cases will be gives negative result will be of 4/5 about 80% negative cases for this reason we are considering the above average cases for classification and get a conclusion that a<sub>3</sub> is an important attribute for futher classification now similarly for a<sub>4</sub> cases we consider the

$$E(a_4)_{average} (negative) = \{E_1, E_8, E_{12}, E_{15}\} \dots\dots\dots(12)$$

$$E(a_4)_{aboveaverage} = \{E_6, E_7, E_{10}, E_{13}, E_{17}\} \dots\dots\dots(13)$$

$$E(a_4)_{high} = \{E_2, E_4, E_5, E_9, E_{11}, E_{14}, E_{18}\} \dots\dots\dots(14)$$

Analyzing a<sub>4</sub> E(a<sub>4</sub>)<sub>average</sub> negative strength[11] will be 4/5 that is about 80% similarly for E(a<sub>4</sub>)<sub>high</sub> positive strength[11] cases will be about 5/7 about 70% now considering a<sub>5</sub>

$$E(a_5)_{average} = \{E_1, E_8, E_{13}, E_{15}\} \dots\dots\dots(15)$$

$$E(a_5)_{aboveaverage} = \{E_5, E_6, E_7, E_{10}, E_{12}, E_{18}\} \dots\dots\dots(16)$$

$$E(a_5)_{high} = \{E_2, E_3, E_9, E_{11}, E_{14}, E_{17}\} \dots \dots \dots (17)$$

$E(a_5)_{average}$  strength[11] for negative case will be 4/4 about cent percent and  $E(a_5)_{high}$  strength for positive 4/6 about 66% positive strength[11] above average case given by 3/8 about 37% so after analyzing the above data by strength view point we ignore attribute  $a_1$  and  $a_5$  as in  $a_1$  strength [11] for low negative case is 100% high positive strength[11]  $a_1$  about 20% similar argument in case of  $a_5$  observing it's strength[11] now upon analyzing  $a_6$  it has the following information

$$E(a_6)_{average} = \{E_4, E_6, E_8, E_9, E_{10}, E_{12}, E_{17}, E_{18}\} \dots \dots \dots (18)$$

$$E(a_6)_{aboveaverage} = \{E_1, E_2, E_7, E_{11}, E_{15}\} \dots \dots \dots (19)$$

$$E(a_6)_{high} = \{E_5, E_{13}, E_{14}\} \dots \dots \dots (20)$$

Provide the following strength cases  $E(a_6)_{high}$  strength[11] found to be 2/3 about 66% where as for negative cases of  $E(a_6)_{average}$  is 1/2 about 50% strength[11] 1/3 cent percent similarly for negative cases of aboveaverage  $E(a_6)$  strength[11] gives rise to be 3/5 about 60% , so we arrive at a contradiction that we have 66% positive and 50% negative and 60% negative case in moderate case of  $a_6$  doesn't provide any significance similarly in case of  $a_7$  there is peculiar case arises that above average cases of  $a_7$  provide both positive and negative result so we arrive at an ambiguity ,that's why we don't analyze  $a_7$  further

In table-3 we drop  $a_1, a_5, a_7$  . So after dropping  $a_1, a_5$ , and  $a_7$  from table 2 we have the new reduct table, named as table-3.

**Reduced Table-3 from Table-2**

<i>E</i>	<i>a<sub>2</sub></i>	<i>a<sub>3</sub></i>	<i>a<sub>4</sub></i>	<i>D</i>
E <sub>1</sub>	b <sub>2</sub>	b <sub>1</sub>	b <sub>1</sub>	c <sub>2</sub>
E <sub>2</sub>	b <sub>2</sub>	b <sub>1</sub>	b <sub>3</sub>	c <sub>2</sub>
E <sub>4</sub>	b <sub>2</sub>	b <sub>2</sub>	b <sub>3</sub>	c <sub>1</sub>
E <sub>5</sub>	b <sub>3</sub>	b <sub>3</sub>	b <sub>3</sub>	c <sub>1</sub>
E <sub>6</sub>	b <sub>2</sub>	b <sub>2</sub>	b <sub>2</sub>	c <sub>2</sub>
E <sub>7</sub>	b <sub>2</sub>	b <sub>2</sub>	b <sub>2</sub>	c <sub>1</sub>
E <sub>8</sub>	b <sub>1</sub>	b <sub>1</sub>	b <sub>1</sub>	c <sub>2</sub>
E <sub>9</sub>	b <sub>2</sub>	b <sub>2</sub>	b <sub>3</sub>	c <sub>1</sub>
E <sub>10</sub>	b <sub>2</sub>	b <sub>2</sub>	b <sub>2</sub>	c <sub>2</sub>
E <sub>11</sub>	b <sub>3</sub>	b <sub>3</sub>	b <sub>3</sub>	c <sub>1</sub>
E <sub>12</sub>	b <sub>2</sub>	b <sub>3</sub>	b <sub>1</sub>	c <sub>1</sub>
E <sub>13</sub>	b <sub>2</sub>	b <sub>2</sub>	b <sub>2</sub>	c <sub>2</sub>
E <sub>14</sub>	b <sub>3</sub>	b <sub>3</sub>	b <sub>3</sub>	c <sub>1</sub>

E <sub>15</sub>	b <sub>1</sub>	b <sub>1</sub>	b <sub>1</sub>	c <sub>2</sub>
E <sub>16</sub>	b <sub>1</sub>	b <sub>1</sub>	b <sub>1</sub>	c <sub>2</sub>
E <sub>17</sub>	b <sub>3</sub>	b <sub>2</sub>	b <sub>2</sub>	c <sub>1</sub>
E <sub>18</sub>	b <sub>2</sub>	b <sub>2</sub>	b <sub>3</sub>	c <sub>2</sub>

Upon analyzing table-3 we have the following result that is (E<sub>5</sub>,E<sub>11</sub>,E<sub>14</sub>), (E<sub>8</sub>,E<sub>15</sub>,E<sub>16</sub>), (E<sub>10</sub>,E<sub>13</sub>), forms group and (E<sub>6</sub>,E<sub>7</sub>) (E<sub>9</sub>,E<sub>9</sub>,E<sub>18</sub>),ambiguous so we keep on record for each group and delete all records which gives ambiguous result so we have the new table appears as table-4 given as follows

**Reduced Table-4 from Table-3**

<i>E</i>	<i>a<sub>2</sub></i>	<i>a<sub>3</sub></i>	<i>a<sub>4</sub></i>	<i>D</i>
E <sub>1</sub>	b <sub>2</sub>	b <sub>1</sub>	b <sub>1</sub>	c <sub>2</sub>
E <sub>2</sub>	b <sub>2</sub>	b <sub>1</sub>	b <sub>3</sub>	c <sub>2</sub>
E <sub>5</sub>	b <sub>3</sub>	b <sub>3</sub>	b <sub>3</sub>	c <sub>1</sub>
E <sub>8</sub>	b <sub>1</sub>	b <sub>1</sub>	b <sub>1</sub>	c <sub>2</sub>
E <sub>10</sub>	b <sub>2</sub>	b <sub>2</sub>	b <sub>2</sub>	c <sub>2</sub>
E <sub>12</sub>	b <sub>2</sub>	b <sub>3</sub>	b <sub>1</sub>	c <sub>1</sub>
E <sub>17</sub>	b <sub>3</sub>	b <sub>2</sub>	b <sub>2</sub>	c <sub>1</sub>

As we observe E<sub>8</sub> and E<sub>10</sub> has conditional attributes values different but giving same decision so we safely drop both for further classification .further reduction Table -4 is not possible.

From the table we are develop an algorithm is as follows

1. above average cases of  $a_2$  ,  $a_4$  and  $a_3$  not giving significant result for negative case of terrorism
2. above average cases of  $a_2, a_4$  and  $a_3$  provide a leads to negative case of terrorism
3. High or severe cases of  $a_2, a_4$  and  $a_3$  length leads to positive case of terrorism
4. average  $a_2, a_4$  and ,  $a_3$  not provided significance result in the conversion process
5. Above average  $a_2, a_3$  is significant average  $a_4$  leads to positive or definite case of conversion
- 6 High  $a_2, a_3$  above average cases of,  $a_4$  leads to positive case of conversion

The above algorithm gives us a conclusion that lack of education , below poverty lines or socio economic problems are root cause in the transformation of a

simple person to terrorist

**Statistical validation I-** To validate our findings we basically depends upon chi-square test for this purpose we take a survey by taking data regarding the positive cases and we are not focused on one particular areas to collect the data we approached several sources and gathered information and then apply chi square test to validate our claim. Chi square test- Expected 15%,10%,15%,20%,30%,15% and the Observed samples are 25,14,34 45,62,20 so totaling these we have total of 200 samples so expected numbers of samples per each day as follows 30,20,30,40,60,30 . We then apply chi square distribution to verify our result assuming that  $H_0$  is our hypothesis that is correct  $H_1$  as alternate hypothesis that is not correct , Then we expect sample in six cases as chi squared estimation formula is  $\sum(O_i-E_i)^2/E_i$  where  $i=0,1,2,3,4,5$  so the calculated as follows

$$X^2=(25-30)^2/30+(14-20)^2/20+(34-30)^2/30+(45-40)^2/40+(62-60)^2/60+(20-30)^2/30$$

$$X^2=25/20+36/20+16/30+25/40+4/60+100/30$$

=7.60 the tabular values we have with degree of freedom 5 we get result 11.04. This result is well below the tabular values , this gives us to accept our claim.

**Statistical validation II-** Apply chi square test to validate our claim. For the second case as follows . Chi square test- Expected 14%,16%,15.5%,21%,31%,14% and the samples are 26,18,34, 43,61,20. so totaling these we have total of 200 samples so expected numbers of samples per each day as follows 28,32,31,42,62,28 . We then apply chi square distribution to verify our result assuming that  $H_0$  is our hypothesis that is correct  $H_1$  as alternate hypothesis that is not correct , Then we expect sample in six cases as chi squared estimation formula is  $\sum(O_i-E_i)^2/E_i$  where  $i=0,1,2,3,4,5$  so the calculated as follows 8.879 it is far below the tabular values 11.04 wit degrees of freedom 5 so we accept our claim.

## 5. FUTURE WORK

This idea can be extend to entertainment, Business logic development and in the Field of agriculture, Entertainment and Education.

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